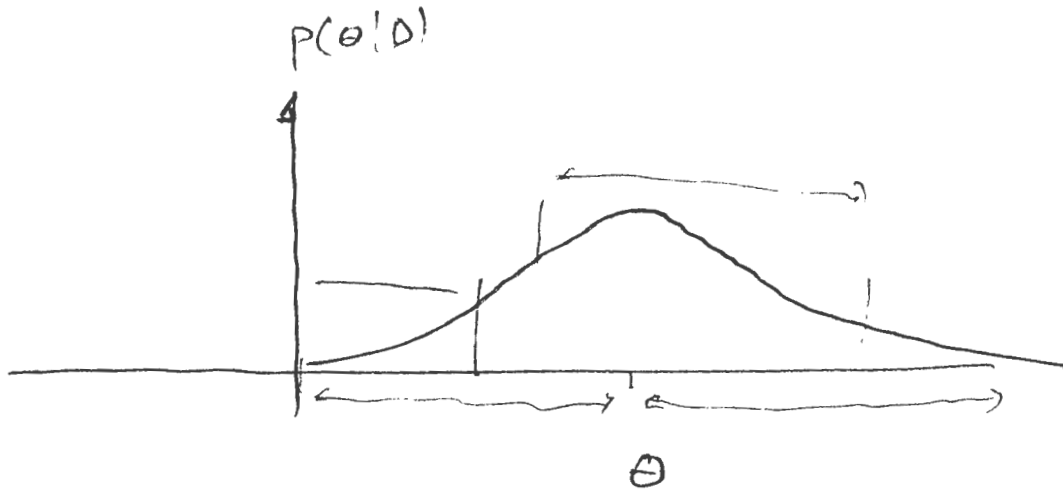
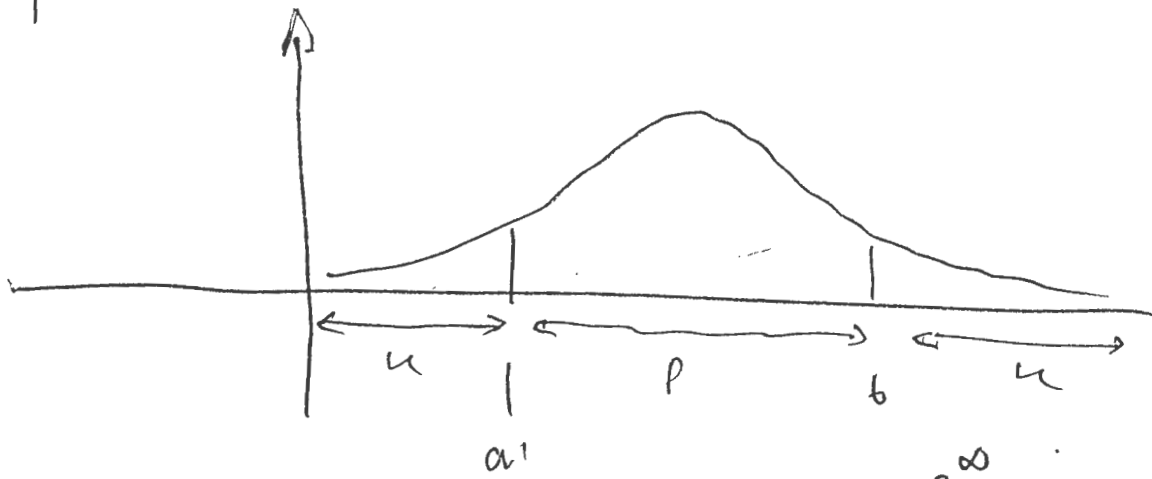


$$\int_u^v \text{Normal}(\text{mean}(X^k), \text{stderr}) dx = 0.5$$

$$P(\theta | D)$$



$$p = 1 - 2u$$



$$\int_{-\infty}^a P(\theta | D) = u$$

$$\int_b^{\infty} P(\theta | D) = u$$

D

model

$$P(D|\theta)$$

$$\hat{\theta} = \underset{\theta}{\operatorname{argmax}} P(D|\theta)$$

↑

$$P(D_{\text{new}}|\hat{\theta})$$

$$\underline{P(D_2|\hat{\theta})}$$

.

.

mean	length	12 cm
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36 toads

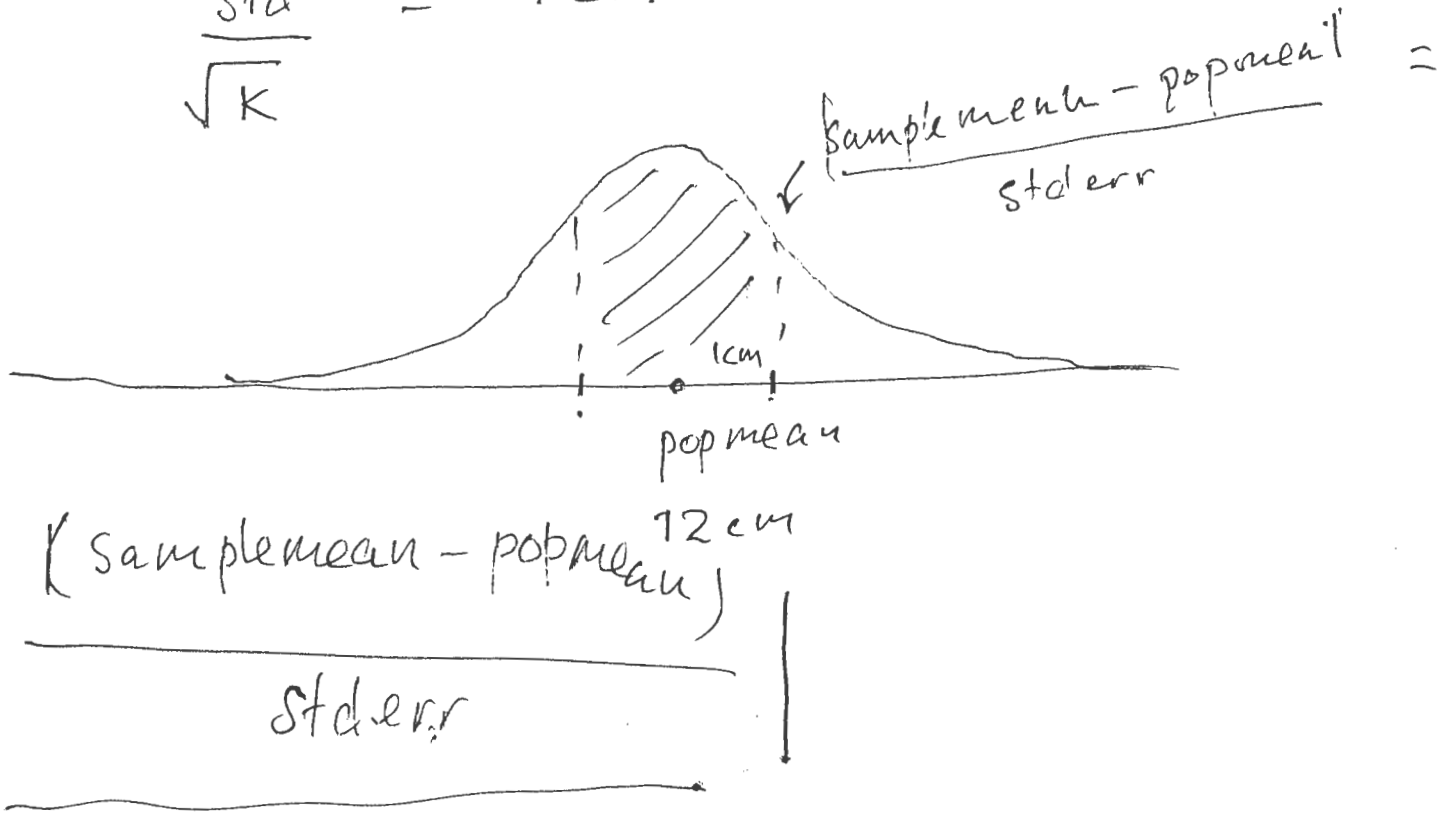
sample mean 13 cm

std of length 6 cm :

Q: what fraction of all possible samples would be closer to mean if hyp is true?

A: compute stderr

$$\frac{\text{std}}{\sqrt{K}} = 1 \text{ cm}$$



Hyp length 10 cm.

25

mean length 8 cm.

std length 5 cm

Q: What fraction of samples has
mean length closer to hyp. mean?

$$\text{stderr} = \frac{5}{\sqrt{25}} = 1$$

$$\frac{|\text{sample mean} - \text{pop mean}|}{\text{stderr}} = z$$

Beards

40% of total pop wears beards

225 people

45 beards

180 no beards

Q: what fraction of samples has mean % of beards closer if hyp true

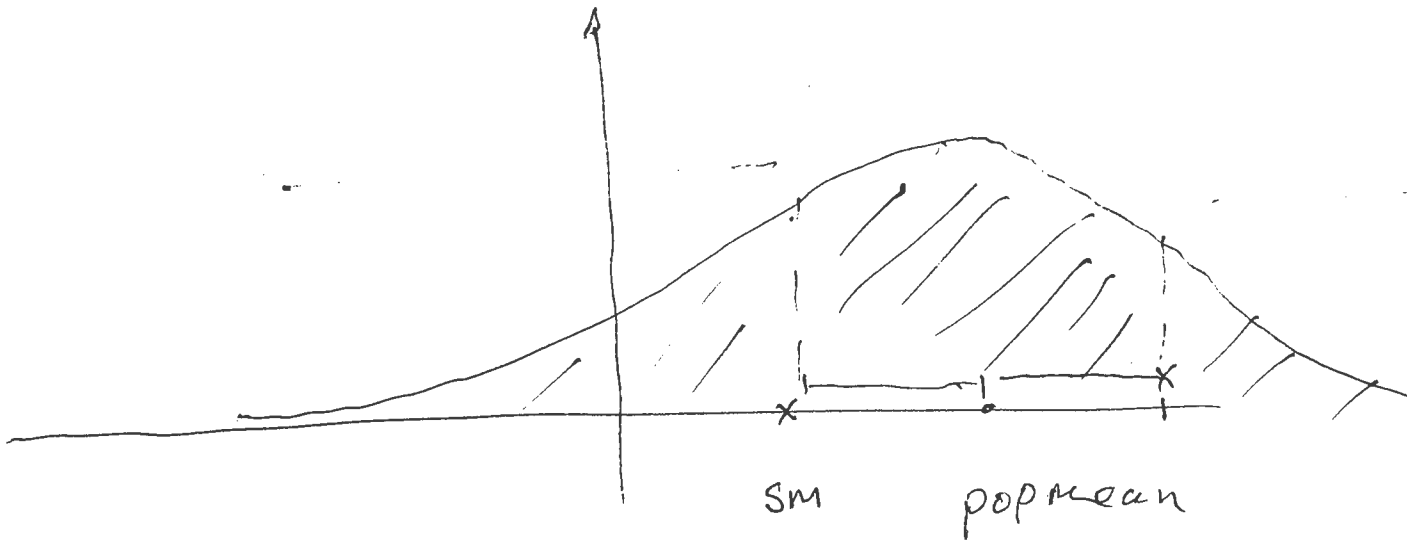
$$\text{sample mean} = 0.2$$

$$\text{std} = \sqrt{\frac{\sum_i (x_i - 0.2)^2}{N}} = \sqrt{\frac{45(1-0.2)^2 + 180(0-0.2)^2}{225}} = 0.4$$

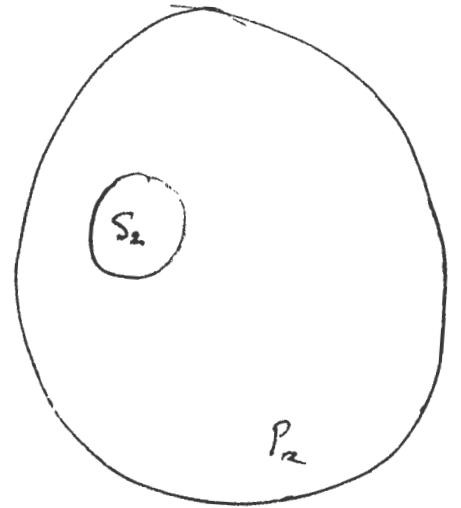
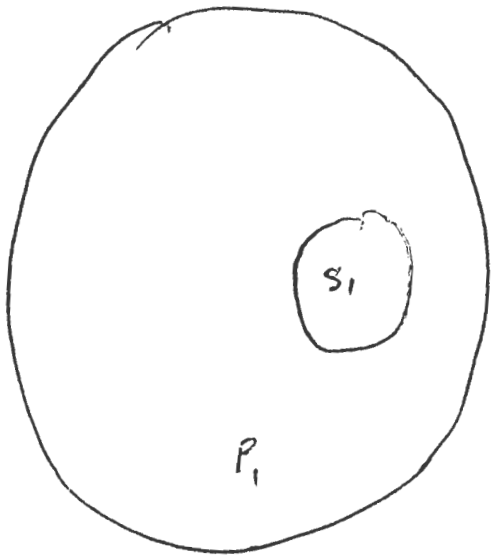
$$\text{stderr} = \frac{0.4}{15} \approx 0.03$$

$$\frac{|\text{sample mean} - \text{pop mean}|}{\text{stderr}} \approx 7$$

A: $1 - \alpha$
 \uparrow
 very small



$$\underline{p \text{ value}} = 1 - (\text{our number})$$



Y

$$E[X^{(k_1)}] = \text{pop mean}$$

$$\text{std}[\] = \text{stderr}$$

$X^{(k_1)}$ is Normal

if true

$$E[X^{(k_1)} - Y^{(k_2)}] = 0$$

$$\text{std}[\] = \sqrt{\text{stderr}(X)^2 + \text{stderr}(Y)^2}$$

Lion

mean 200 kg

~~25~~ std 50 kg

stderr 10 kg

Tiger

mean 300 kg

~~36~~ std 72 kg

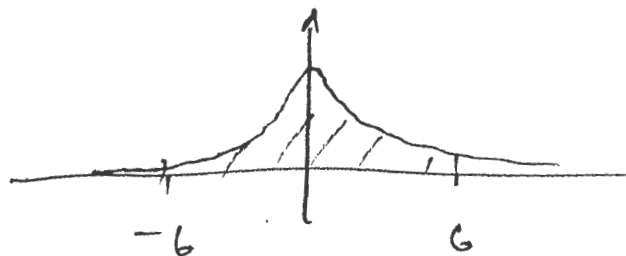
stderr 12 kg

diff: 100 kg

stderr $(X^{(k_1)} - Y^{(k_2)})$

$$= \sqrt{10^2 + 12^2}$$
$$\approx 15.6$$

$$\frac{100}{15.6} \approx 6$$



county A :

♀ 500

sm 0.467

♂ 570

$$\sqrt{\frac{124.}{1070}} \quad |$$

county B

♀ 320

sm .508

♂ 310

$$\frac{(0.467 - .508)}{0.025} \approx 1.6$$

χ^2

$\left[\begin{array}{c} 1 \\ \vdots \\ c \end{array} \right]$
 P_t

$\left[\begin{array}{c} 20 \\ 20 \\ 20 \\ 20 \\ 20 \\ 20 \end{array} \right]$
 f_t

$\left[\begin{array}{c} 21 \\ 19 \\ \vdots \\ \vdots \end{array} \right]$
 f_o

$$\sum_{\text{cases}} \frac{[f_t - f_o]^2}{f_t}$$

χ^2 significance

$P(\{ \text{couple } \chi_{\chi^2} \geq \text{number} \})$

12 H

.5 ?

11 T

$$\begin{bmatrix} 11.5 \\ 11.5 \end{bmatrix}$$

$$\begin{bmatrix} 12 \\ 11 \end{bmatrix}$$

f_t

= 0.04

0.84

$$\begin{bmatrix} 46 \\ 13 \\ 12 \\ 11 \\ 9 \\ 9 \end{bmatrix}$$

s_0

$$\begin{bmatrix} 16\frac{2}{3} \\ \cdot \\ \cdot \\ \cdot \\ \cdot \\ \cdot \end{bmatrix}$$

f_0

↑

$k = 6$

↓

$k-1$
→

62.7

$3e^{-12}$